	(***)	1./
	(iii) $x + y \le 9$	1/2
	$x + y \ge 3$	1/2
	$x \le 4, y \le 4$	1
	$x, y \ge 0$	
38.	Ramesh borrowed a home loan amount of ₹ 7,00,000 from a bank at an	
	interest of 12% per annum for 30 years, to be paid in monthly	
	installments.	
	Based on the above information, answer the following questions:	
	(i) Write the formula for calculating EMI by reducing balance method.	
	(ii) Write the values of P, i and n respectively.	
	(iii) Find the EMI. [Use $(1.01)^{-360} = 0.02781668$]	
	OR	
	(iii) If the loan is to be returned in 20 years, find EMI.	
	[Use $(1.01)^{-240} = 0.09180584$]	
	21.01	
Sol.	(i) $E = \frac{P i}{1 - (1 + i)^{-n}} \text{ or } \frac{P i (1 + i)^n}{(1 + i)^{n-1}}$	1
	(ii) D = 7.00,0000 i 12 0.01 m 12 v 20 200 m m l 2	1
	(ii) $P = ₹7,00,0000, i = \frac{12}{1200} = 0.01, n = 12 \times 30 = 360 \text{ months}$	1
	(iii) $E = \frac{7,00,000 \times 0.01}{1 - (1.01)^{-360}}$	1
	$= \frac{7000}{0.97218332} = ₹7200.29 \text{(or } \frac{7000}{0.97} = ₹7216.49 \text{ using approximations)}$	1
	OR	
	(iii) $E = \frac{7,00,000 \times 0.01}{1 - (1.01)^{-240}}$	1
	$= \frac{7000}{0.90819416} = 7707.60 \text{(or } \frac{7000}{0.91} = 7692.31 \text{ using approximations)}$	1

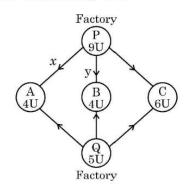
3	7	
J	/	•

There are two factories located one at P and the other at Q. From these locations, a certain commodity is to be delivered to each of the three depots situated at A, B and C. The weekly requirements of the depots are respectively 4, 4 and 6 units of the commodity while the production capacity of the factories at P and Q are 9 and 5 units respectively. The cost of transportation per unit is given as:

From / To	Co	Cost (in ₹)				
	A	В	C			
P	160	100	150			
Q	100	120	100			

Based on the above information, answer the following questions:

Let *x* units and *y* units of the commodity be transported from factory P to the depots at A and B respectively, then



- (i) Find (in terms of x and y) how many units of commodity be transported from factory P to depot C.
- (ii) Find how many units of commodity be transported from factory Q to A, B and C respectively.
- (iii) Using (i) and (ii), find the total transportation cost z.

OR

(iii) Using (i) and (ii), find the constraint inequalities for minimum cost z.

Sol.

(i) P to C = 9 - (x + y)

1

(ii) Q to A = (4 - x)

Q to B = (4 - y)

 $\frac{1}{2}$

Q to
$$C = 6 - [9 - x - y] = (x + y - 3)$$

1/2

(iii)
$$Z = 160 x + 100 y + 150 (9 - x - y) + 100 (4 - x) + 120(4 - y) + 100(x + y - 3)$$

1

$$= 10x - 70y + 1930$$

1

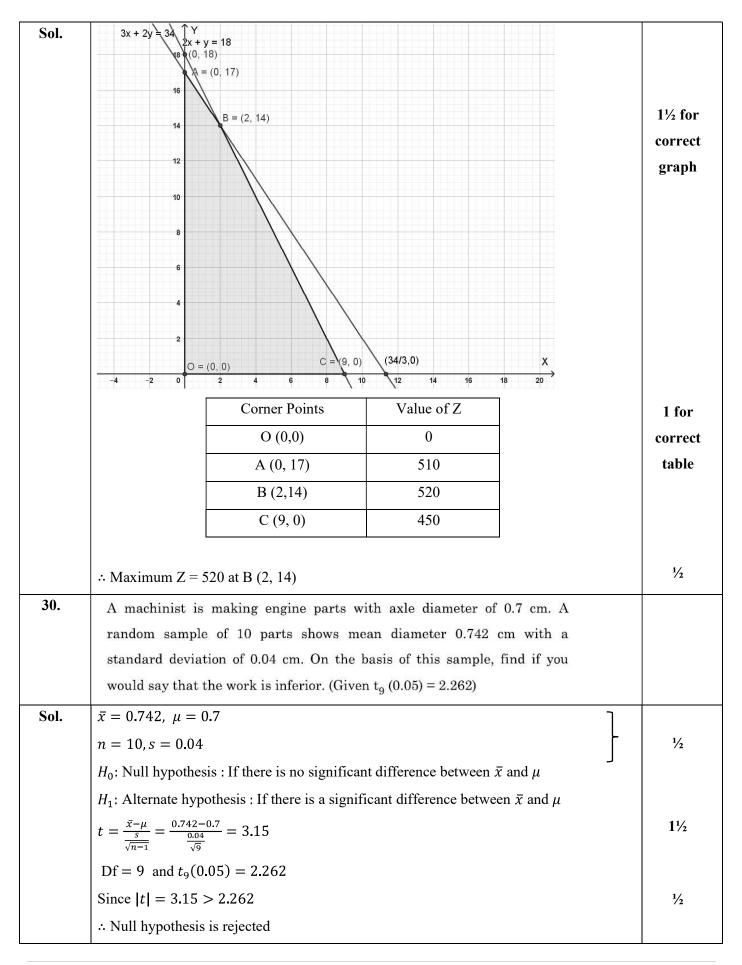
	SECTION E	
	SECTION E This section comprises of 3 case-study based questions of 4 marks each.	
36.	A man has an expensive square-shaped piece of golden board of side 36 cm. He wants to turn it into a box without top by cutting a square from each corner and folding the flaps. Let x cm be the side of square, which is cut from each corner. 36 cm Based on the above information, answer the following questions: (i) Find the expression for the volume (V) of open box in terms of x . (ii) Find $\frac{dV}{dx}$. (iii) Find the value of x for which the volume (V) is maximum.	
	(iii) Find the maximum volume of the open box.	
Sol.	(i) $V = x (36 - 2x)^2$	1
	(ii) $\frac{dV}{dx} = (36 - 2x)^2 + 2x(36 - 2x)(-2)$ $= (36 - 2x)(36 - 2x - 4x)$ $= (36 - 2x)(36 - 6x)$ $= 12 (18 - x)(6 - x)$	1
	(iii) $\frac{dV}{dx} = 0 \implies x = 18 \text{ or } x = 6$ Rejecting $x = 18$, we have $x = 6$ and $\frac{d^2V}{dx^2} = 12(18 - x)(-1) + 12(-1)(6 - x)$ $\implies \frac{d^2V}{dx^2} < 0 \text{ at } x = 6$ $\therefore \text{ volume is maximum for } x = 6$ OR (iii) $\frac{dV}{dx} = 0 \implies x = 18 \text{ or } x = 6$ Rejecting $x = 18$, we have $x = 6$ and $\frac{d^2V}{dx^2} = 12(18 - x)(-1) + 12(-1)(6 - x)$	1 1/2 1/2 1
	$\Rightarrow \frac{d^2V}{dx^2} < 0 \text{ at } x = 6$ $\therefore \text{Max V} = 6 (36 - 12)^2 = 6 (24)^2 = 3456 \text{ cm}^3$	1

	Year (x_i)	Index Number (Y)	$X = \frac{x_i - A}{0.5}$ $= \frac{x_i - 2013.5}{0.5}$	X ²	XY	$Y_t = a + bx$	
	2011	210	- 5	25	-1050	234.17 + (-5)1.64 = 225.97	
	2012	225	- 3	9	-675	229.25	
	2013	275	- 1	1	-275	232.53	
	2014	220	1	1	220	235.81	
	2015	240	3	9	720	239.09	2½ for
	2016	235	5	25	1175	242.37	the
	n=6	1405	$\sum X = 0$	$\sum X^2 = 70$	$\sum XY = 115$		correct table
	"	$\frac{\frac{1405}{6}}{6} = 234.1$ $= \frac{115}{70} = 1.64 \text{ (}$					1
	-		bx = 234.17	. 1 . 4			1/2
35.	A machi 12 years model at only. Fin	ine costs ₹ . A sinking for the end of ind what amounts.	1,00,000 and in the street and is created to life time who	for replacing en its scrap re et aside at the	the machine to ealizes a sum of each years. [Use (1.05) ¹² :	oy a new f ₹ 5,000 ar, out of	,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
Sol.	Amount no	eeded after 12	years = ₹ 1,00	,000 – ₹ 5,00	0 = ₹ 95,000		1
	year. $A = R \left[\frac{(1+\epsilon)^{1/2}}{2} \right]$		ng fund consist	of 12 annual p	ayments at the r	ate of 5% per	2
		L 0.05 1	5968.84 (or	$\frac{4750}{0.8} = ₹5937$	7.50 using appro	ximations)	2

34(a).	Compute th	ne seasonal in	dices by 4-ye	ear moving av	verages from	the			
	given data of production of paper (in thousand tons): Year: 2001 2002 2003 2004 2005 2006 2007 2008 2009 2010								
	Index number:	450 1470 215	0 1800 1210	1950 2300 2	500 2480 268	30			
Sol.									
	Year	Index	4 yearly	4 yearly	Centered	Centered			
		Number	moving	moving	Total	moving	4 yearly		
			total	Average		average	moving		
	2001	2450					total – 1		
	2002	1470					mark		
			7870	1967.5					
	2003	2150			3625	1812.5	4 yearly		
			6630	1657.5			moving		
	2004	1800			3435	1717.5	average		
			7110	1777.5			- 1½ marks		
	2005	1210			3592.5	1796.25	marks		
			7260	1815			centered		
	2006	1950			3805	1902.5	total - 1		
			7960	1990			mark		
	2007	2300			4297.5	2148.75			
			9230	2307.5			centered		
	2008	2500			4797.5	2398.75	moving		
			9960	2490			average		
	2009	2480					- 11/2		
	2010	2680					marks		
				OR					
84(b).	Fit a straig	ht-line trend			s for the follow	vina			
` /	data:	mo-mie orena	by memou of	icasi squares	s for the lonov	viii g			
	Year:	20	11 2012 201	13 2014 201	5 2016				
	7960 BR050004 01 847	(in tons): 21							
Sol.									

	OR			
32 (b).	Using properties of determinants, prove that			
	$\Delta = \begin{vmatrix} (b+c)^2 & a^2 & a^2 \\ b^2 & (c+a)^2 & b^2 \\ c^2 & c^2 & (a+b)^2 \end{vmatrix} = 2 \text{ abc } (a+b+c)^3$			
Sol.	LHS = $\Delta = \begin{vmatrix} (b+c)^2 & a^2 & a^2 \\ b^2 & (c+a)^2 & b^2 \\ c^2 & c^2 & (a+b)^2 \end{vmatrix}$			
	Applying, $C_1 \rightarrow C_1 - C_3$ $C_2 \rightarrow C_2 - C_3$			
	$\Delta = \begin{vmatrix} (b+c)^2 - a^2 & 0 & a^2 \\ 0 & (c+a)^2 - b^2 & b^2 \\ c^2 - (a+b)^2 & c^2 - (a+b)^2 & (a+b)^2 \end{vmatrix}$	1+1		
	$\begin{vmatrix} (a+b+c)^2 & b+c-a & 0 & a^2 \\ 0 & c+a-b & b^2 \\ c-a-b & c-a-b & (a+b)^2 \end{vmatrix}$	1		
	Applying, $R_1 \rightarrow R_3 - R_1 - R_2$			
	$\begin{vmatrix} = 2(a+b+c)^2 \begin{vmatrix} b+c-a & 0 & a^2 \\ 0 & c+a-b & b^2 \\ -b & -a & ab \end{vmatrix}$			
	Expanding, we get $\Delta = 2abc(a + b + c)^3$	2		
33.	If the supply function is $p = 4 - 5x + x^2$, then find the producer's surplus when price is 18.			
Sol.	$p = 4 - 5x + x^2$			
	$p_0 = 18$, we have $18 = 4 - 5x + x^2$			
	or $x^2 - 5x - 14 = 0$			
	$\Rightarrow (x-7)(x+2) = 0$ \therefore $x = 7, x = -2$ is rejected	1½		
	$p_0 x_0 = 18 \times 7 = 126$	1/		
	$PS = p_0 x_0 - \int_0^7 (x^2 - 5x + 4) \ dx$	1/2		
	$= 126 - \left[\frac{x^3}{3} - \frac{5x^2}{2} + 4x\right]_0^7$	1		
	$=126-\frac{119}{6}$			
	$=\frac{637}{6}$ or 106.17 approx.	1		

	Hence the work is inferior	1/2
	Note: $t = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}}$ should also be accepted.	
31.	Calculate EMI under Flat-Rate System for a loan of ₹ 5,00,000 with 7.5%	
	annual interest rate for 5 years.	
Sol.	P = 35,00,000	
	$Interest = \frac{PRT}{100}$	
	$=\frac{500000\times7.5\times5}{100}=1,87,500$	1
	n = 5 years = 60 months	1/2
	$\therefore \text{EMI} = \frac{P+I}{n}$	
	$=\frac{500000+187500}{60}$	1
	= ₹ 11,458.33	1/2
	SECTION D This section comprises of Long Answer (LA) type questions of 5 marks each.	
32 (a).	If $A = \begin{bmatrix} 2 & -3 & 5 \\ 3 & 2 & -4 \\ 1 & 1 & -2 \end{bmatrix}$, find A^{-1} and hence solve the following system of	
	linear equations:	
	2x - 3y + 5z = 11, $3x + 2y - 4z = -5$, $x + y - 2z = -3$	
Sol.	$ A = 2(-4+4) + 3(-6+4) + 5(3-2) = -1 \neq 0$	1/2
	$\therefore A^{-1}$ exists	
	Now, $\begin{bmatrix} 2 & -3 & 5 \\ 3 & 2 & -4 \\ 1 & 1 & -2 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \end{bmatrix} = \begin{bmatrix} 11 \\ -5 \\ -3 \end{bmatrix}$	1
	or $AX = B \Longrightarrow X = A^{-1}B$	
	$adj(A) = \begin{bmatrix} 0 & -1 & 2 \\ 2 & -9 & 23 \\ 1 & -5 & 13 \end{bmatrix}$	1½
	$A^{-1} = \frac{1}{ A } \operatorname{adj}(A) = \frac{1}{-1} \begin{bmatrix} 0 & -1 & 2 \\ 2 & -9 & 23 \\ 1 & -5 & 13 \end{bmatrix} = \begin{bmatrix} 0 & 1 & -2 \\ -2 & 9 & -23 \\ -1 & 5 & -13 \end{bmatrix}$	1/2
		1
	So, $x = 1, y = 2, z = 3$	1/2



28 (b).	The mortality rate for a certain disease is 0.007. Using Poisson	
	distribution, calculate the probability for 2 deaths in a group of 400	
	people. [Use $e^{-2.8} = 0.0608$]	
Sol.	Given, $p = 0.007$, $n = 400$	1/2
	$\therefore \lambda = np = 400 \times 0.007 = 2.8$	1
	Now, $P(X = 2) = \frac{(2.8)^2 e^{-2.8}}{2!}$	1
	2.	
	$= \frac{7.84}{2} \times 0.0608 = 0.2383$	1/2
29 (a).	There are two types of fertilizers F_1 and F_2 . F_1 consists of 10%	
	nitrogen and 6% phosphoric acid. ${\rm F_2}$ consists of 5% nitrogen and 10%	
	phosphoric acid. After testing the soil conditions, a farmer finds that	
	he needs atleast 14 kg of nitrogen and 14 kg of phosphoric acid for	
	his crop. If F_1 costs $\stackrel{?}{\underset{?}{ }}$ 6 per kg and F_2 costs $\stackrel{?}{\underset{?}{ }}$ 5 per kg, how much of	
	each type of fertilizer should be used so that the cost is minimum.	
	Formulate a linear programming problem.	
Sol.	Let x kg of nitrogen and y kg of phosphoric acid is used for minimum cost.	
	∴ the objective function is	
	Minimize Z = 6x + 5y	1/2
	Subject to the constraints $10\% \times x + 5\% \times y \ge 14$ or $2x + y \ge 280$	1
	and $6\% \times x + 10\% \times y \ge 14$ or $3x + 5y \ge 700$	1
	$x, y \ge 0$	1/2
	Note: * Marks should be awarded for the formation of equations $2x + y = 280$ and	
	3x + 5y = 700 instead of inequations in Hindi medium only.	
	OR	
29 (b).	Solve the following linear programming problem graphically:	
	Maximise $z = 50 x + 30 y$	
	subject to $2x + y \le 18$	
	$3x + 2y \le 34$	
	$x, y \ge 0.$	
	1	

	This section c	comprises sho		CTION C	ns of 3 marks	s each.		
26.	This section comprises short answer (SA) type questions of 3 marks each. Find the units digit in 7 ²⁹⁵ .							
	Find the u	nits aigit in	1 7200.					
Sol.	$7^2 = 49 \equiv -$							
	$7^{295} = (7^2)^{14}$							1
	Now, $(7^2)^{147}$							1
			-7(mod 10)	$\equiv 3 \pmod{10}$)			1/2
	∴ Units digit i	is 3.						1/2
27.	positive inte	egers. Let X	ted at randon denotes the tical expectat	smaller of th			M141	
Sol.	Numbers on t	he dice are 1,	2, 3, 4, 5, 6					
	∴ X can take t	the values 1, 2	2, 3, 4, 5					1/2
	X	1	2	3	4	5		
	P(X)	5 15	$\frac{4}{15}$	$\frac{3}{15}$	$\frac{2}{15}$	$\frac{1}{15}$		1
	X P(X)	5 15	8 15	9 15	8 15	5 15		1
	$E(X) = \sum X B$	$P(X) = \frac{35}{15} =$	7 / ₃					1/2
28 (a).						1 0		
	If the mea	n and vari	ance of a b	inomial dis	stribution a	re $\frac{4}{3}$ and $\frac{8}{9}$		
	respectively							
Sol.	Mean = $np = \frac{4}{3}$, variance = $npq = \frac{8}{9}$					1/2		
	$\Rightarrow q = \frac{8}{9} \times \frac{3}{4} = \frac{2}{3}$						1/2	
	$\therefore p = 1 - \frac{2}{3} = \frac{1}{3}$						1/2	
	$n \times \frac{1}{3} = \frac{4}{3} \Longrightarrow n = 4$							1/2
	P(x=1)=4	$4_{C_1} \left(\frac{1}{3}\right)^1 \left(\frac{2}{3}\right)^3$	$=4\times\frac{1}{3}\times\frac{8}{27}$					1/2
	$=\frac{32}{81}$	<u>2</u> 1						1/2
				OR				

23.	A runs $\frac{3}{2}$ times as fast as B. If A gives B a start of 40 m, how far must the	
	winning post from the starting point be, so that A and B reach at the same	
	time?	
Sol.	A 40 m B winning post	
	×	
	Let the winning post be x metres away from the starting point.	
	$\therefore \frac{x}{3/2} = \frac{x-40}{1}$	1
	$\Rightarrow \frac{x}{2} = \frac{3}{2} \times 40 = 60 \implies x = 120 \text{ metres}$	1
24.	$\begin{bmatrix} 2 & 0 & 1 \end{bmatrix}$ $\begin{bmatrix} 1 & 1 & -5 \end{bmatrix}$	
	Given $A = \begin{bmatrix} 2 & 0 & 1 \\ 3 & 4 & 5 \\ 0 & 2 & 3 \end{bmatrix}$ and $B = \begin{bmatrix} 1 & 1 & -5 \\ -5 & 1 & -5 \\ 1 & -2 & 4 \end{bmatrix}$, find BA.	
Sol.	$BA = \begin{bmatrix} 1 & 1 & -5 \\ -5 & 1 & -5 \\ 1 & -2 & 4 \end{bmatrix} \begin{bmatrix} 2 & 0 & 1 \\ 3 & 4 & 5 \\ 0 & 2 & 3 \end{bmatrix}$	
	Obtaining at least 4 correct entries	1
	$= \begin{bmatrix} 5 & -6 & -9 \\ -7 & -6 & -15 \\ -4 & 0 & 3 \end{bmatrix}$	1
25 (a).	If a fair coin is tossed 6 times, find the probability of getting atleast 4 heads.	
Sol.	Here, $n = 6$, $p = \frac{1}{2}$, $q = \frac{1}{2}$	1/2
	P (at least 4 heads in 6 throws) = $P(X \ge 4)$	
	$= 6_{C_4} \left(\frac{1}{2}\right)^4 \left(\frac{1}{2}\right)^2 + 6_{C_5} \left(\frac{1}{2}\right)^5 \left(\frac{1}{2}\right)^1 + 6_{C_6} \left(\frac{1}{2}\right)^6 \left(\frac{1}{2}\right)^0$	1
	$=22\left(\frac{1}{2}\right)^6=\frac{22}{64}\ or\frac{11}{32}$	1/2
	OR	
25 (b).	Given that mean of a normal variate X is 9 and standard deviation is	
	3, then find: (i) the z-score of the data point 15	
	(ii) the data point if its z-score is 4.	
Sol.	(i) $Z = \frac{X - \mu}{\sigma} = \frac{15 - 9}{3} = 2$	1
	$(ii) 4 = \frac{X-9}{3} \implies X = 21$	1

	SECTION B	
	This section comprises very short answer (VSA) type questions of 2 marks each.	
21(a).	The cost of Type I sugar is ₹ 25 per kg and Type II sugar is ₹ 35 per kg. If both Type I sugar and Type II sugar are mixed in the ratio 3:2, find the price per kg of the mixture.	
Sol.	Let the price per kg of mixture be $\stackrel{?}{\stackrel{?}{\stackrel{?}{\stackrel{?}{\stackrel{?}{\stackrel{?}{\stackrel{?}{\stackrel{?}$	1
	OR	
21(b).	Pipe A can fill a tank in 1 hour and Pipe B can fill it in 1½ hours. If both the pipes are opened in the empty tank, how much time will they take to fill the tank?	
Sol.	Let the required time taken be n minutes	
	$\therefore \frac{1}{n} = \frac{1}{60} + \frac{1}{90}$ $\Rightarrow \frac{1}{n} = \frac{3+2}{180} = \frac{5}{180} = \frac{1}{36}$ $\therefore n = 36 \text{ minutes or } \frac{3}{5} \text{ hours}$	1
22.	A boat goes 3.5 km upstream and then returns. Total time taken is 1 hour and 12 minutes. If the speed of the current is 1 km/h, then find the speed of the boat in still water.	
Sol.	Let the speed of the boat be $x \text{ km/h}$ $\therefore \text{ Speed of the boat upstream} = (x - 1) \text{ km/h}$	1/2
	and speed of the boat downstream = $(x - 1)$ km/h	,2
	$\therefore \frac{3.5}{x-1} + \frac{3.5}{x+1} = 1 + \frac{12}{60} = \frac{6}{5}$ $\Rightarrow 3.5 (2x)5 = 6 (x^2 - 1)$	1/2
	$\Rightarrow 6x^2 - 35x - 6 = 0$	1/2
	Solving, we get $x = 6 \text{ km/h}$ (rejecting the -ve value)	1/2

17.	The effective rate of interest equivalent to a nominal rate of 4%	
	compounded semi-annually, is	
	(A) 4.12% (B) 4.04%	
	(C) 4.08% (D) 4.14%	
Sol.	(B) 4.04 %	1
18.	The CAGR of an investment, whose starting value is ₹ 5,000 and it grows	
	to ₹ 25,000 in 4 years, is : [Given $(5)^{0.25} = 1.4953$]	
	(A) 49.53% (B) 14.95%	
	(C) 495.3% (D) 1.49%	
Sol.	(A) 49.53 %	1
	Questions number 19 and 20 are Assertion and Reason based questions. Two	
	statements are given, one labelled Assertion (A) and the other labelled Reason	
	(R). Select the correct answer from the codes (A), (B), (C) and (D) as given below.	
	(A) Both Assertion (A) and Reason (R) are true and Reason (R) is the	
	correct explanation of the Assertion (A).	
	(B) Both Assertion (A) and Reason (R) are true, but Reason (R) is not	
	the correct explanation of the Assertion (A).	
	(C) Assertion (A) is true, but Reason (R) is false.	
	(D) Assertion (A) is false, but Reason (R) is true.	
19.	Assertion (A) : The area of the region bounded by the line $y - 1 = x$,	
	the <i>x</i> -axis and the ordinates $x = -1$ and $x = 1$ is 2 square	
	units.	
	Reason (R) : The area of the region bounded by the curve $y = f(x)$,	
	the x-axis and the ordinates $x = a$ and $x = b$ is given by	
	$\int_{0}^{b} f(x) dx.$	
	J (t) dt.	
Sol.	(A) Both Assertion (A) and Reason (R) are true and Reason (R) is the correct	1
~ 010	explanation of the Assertion (A).	
20.	Assertion (A): The differential equation representing the family of	
_ * *	curves $y = mx$, m being an arbitrary constant, is	
	$x\frac{dy}{dx} - y = 0.$	
	Reason (R) : For a family of curves, the differential equation is obtained by differentiating the equation of family of	
	curves with respect to x and then eliminating the	
	arbitrary constant, if any.	
Sol.	(A) Both Assertion (A) and Reason (R) are true and Reason (R) is the correct	1
~ 01	explanation of the Assertion (A).	•
	explanation of the Assertion (A).	

Sol. 13.	The present value of a sequence of payments of ₹ 100 made at the end of every year and continuing forever, if the money is worth 5% compounded annually, is (A) ₹ 2,000 (B) ₹ 20,000 (C) ₹ 5,000 (D) ₹ 12,000 The demand function of a monopolist is given by $p = 30 + 5x - 3x^2$, where	1
	x is the number of units demanded and p is the price per unit. The	
	marginal revenue when 2 units are sold, is (A) ₹28 (B) ₹23	
	(C) ₹1 (D) ₹14	
Sol.	(D) ₹ 14	1
14.	If the cost function and revenue function of x items are respectively	
	given as $C(x) = 100 + 0.015 x^2$, $R(x) = 3x$, then the value of x for maximum profit is (A) 50 (B) 100 (C) 150 (D) 200	
Sol.	(B) 100	1
15.	If a random variable X has the probability distribution $P(X=x) = \begin{cases} k, & \text{if } x=0 \\ 2k, & \text{if } x=1 \text{ or } 2 \\ 0, & \text{otherwise,} \end{cases}$ then the value of k is $(A) \frac{1}{3} \qquad (B) \frac{1}{5}$	
	(C) $\frac{1}{6}$ (D) $\frac{1}{4}$	
Sol.	$(B)\frac{1}{5}$	1
16.	The test statistic t for testing the significance of differences between the means of two independent samples is given by $ (A) t = \frac{\overline{x} - \overline{y}}{\sqrt{s}} \qquad \qquad (B) t = \frac{\overline{x} - \overline{y}}{s\sqrt{\frac{1}{n_1} + \frac{1}{n_2}}} $ $ (C) t = \frac{\overline{x} - \overline{y}}{s\sqrt{n-1}} \qquad (D) t = \frac{\overline{x} + \overline{y}}{s\sqrt{\frac{1}{n_1} - \frac{1}{n_2}}} $	
Sol.	(B) $t = \frac{\bar{x} - \bar{y}}{s\sqrt{\frac{1}{n_1} + \frac{1}{n_2}}}$	1

6.	The slope of the normal to the curve $y = \frac{x-3}{x-4}$ at $x = 6$ is	
	(A) 4 (B) $-\frac{1}{4}$	
	(C) -4 (D) $\frac{1}{4}$	
Sol.	(A) 4	1
7.	The rate of change of population $P(t)$ with respect to time (t), where α , β	
	are the constant birth and death rates, respectively, is	
	(A) $\frac{dP}{dt} = (\alpha + \beta)P$ (B) $\frac{dP}{dt} = (\alpha - \beta)P$	
	(C) $\frac{dP}{dt} = \frac{\alpha + \beta}{P}$ (D) $\frac{dP}{dt} = \frac{\alpha - \beta}{P}$	
Sol.	$(B)\frac{dP}{dt} = (\alpha - \beta)P$	1
8.	A pair of dice is thrown two times. If X represents the number of doublets	
	obtained, then the expectation of X is	
	(A) $\frac{1}{6}$ (B) 1	
	(C) $\frac{1}{3}$ (D) $\frac{11}{36}$	
Sol.	$(C)\frac{1}{3}$	1
9.	The mean of t-distribution is	
	(A) 0 (B) 1	
	(C) 2 (D) not defined	
Sol.	(A) 0	1
10.	The variations which occur due to change in climate, festivals or weather	
	conditions are known as	
	(A) secular variations (B) cyclic variations	
	(C) seasonal variations (D) irregular variations	
Sol.	(C) seasonal variations	1
11.	In a LPP, the maximum value of $z = 3x + 4y$ subject to the constraints	
	$x + y \le 40, x + 2y \le 60, x, y \ge 0$ is	
	(A) 120 (B) 140	
	(C) 150 (D) 130	
Sol.	(B) 140	1

MARKING SCHEME

APPLIED MATHEMATICS (Subject Code-241) (PAPER CODE: 465)

Section A

	Section A	
Q. No.	EXPECTED OUTCOMES/VALUE POINTS	Marks
	SECTION A Questions no. 1 to 18 are multiple choice questions (MCQs) and questions number 19 and 20 are Assertion-Reason based questions of 1 mark each.	
1.	$-41 \mod 9$ is	
	(A) 5 (B) 4	
	(C) 3 (D) 0	
Sol.	(B) 4	1
2.	If $a > b$ and $c < 0$, then which of the following is true?	
	(A) $a + c < b + c$ (B) $a - c < b - c$	
	(C) $a c > b c$ (D) $a - c > b + c$	
Sol.	(D) a - c > b + c	1
3.	If A and B are symmetric matrices of the same order, then $(AB^{'}-BA^{'})$ is a	
	(A) symmetric matrix (B) null matrix	
	(C) diagonal matrix (D) skew symmetric matrix	
Sol.	(D) skew symmetric matrix	1
4.	The inverse of matrix $A = \begin{bmatrix} 4 & -1 \\ 2 & 1 \end{bmatrix}$ is	
	(A) $\frac{1}{6} \begin{bmatrix} -4 & 2 \\ -1 & -1 \end{bmatrix}$ (B) $\begin{bmatrix} \frac{1}{3} & \frac{1}{6} \\ \frac{2}{3} & -\frac{1}{6} \end{bmatrix}$	
	(C) $\begin{bmatrix} \frac{1}{6} & \frac{1}{6} \\ -\frac{1}{3} & \frac{2}{3} \end{bmatrix}$ (D) $\begin{bmatrix} -\frac{2}{3} & \frac{1}{6} \\ -\frac{1}{3} & -\frac{1}{6} \end{bmatrix}$	
Sol.	(C) $\begin{bmatrix} 1/6 & 1/6 \\ -1/3 & 2/3 \end{bmatrix}$	1
5.	If $\begin{vmatrix} 2x & 5 \\ 4 & x \end{vmatrix} = \begin{vmatrix} 3 & 5 \\ 4 & 6 \end{vmatrix}$, then the value of x is	
	(A) $\frac{3}{2}$ (B) 6	
	(C) 3 (D) ± 3	
Sol.	(D) ± 3	1
	I .	1

12	A full scale of marks80 (example 0 to 80/70/60/50/40/30 marks as given in Question Paper) has to be used. Please do not hesitate to award full marks if the answer deserves it.
13	• Every examiner has to necessarily do evaluation work for full working hours i.e., 8 hours every day and evaluate 20 answer books per day in main subjects and 25 answer books per day in other subjects (Details are given in Spot Guidelines). This is in view of the reduced syllabus and number of questions in question paper.
14	Ensure that you do not make the following common types of errors committed by the Examiner in the past: -
	• Leaving answer or part thereof unassessed in an answer book.
	• Giving more marks for an answer than assigned to it.
	Wrong totaling of marks awarded on an answer.
	• Wrong transfer of marks from the inside pages of the answer book to the title page.
	• Wrong question wise totaling on the title page.
	• Wrong totaling of marks of the two columns on the title page.
	 Wrong grand total. Marks in words and figures not tallying/not same.
	 Wrong transfer of marks from the answer book to online award list.
	• Answers marked as correct, but marks not awarded. (Ensure that the right tick mark is correctly and clearly indicated. It should merely be a line. Same is with the X for
	incorrect answer.)
	Half or a part of answer marked correct and the rest as wrong, but no marks awarded.
15	While evaluating the answer books if the answer is found to be totally incorrect, it should be marked as cross (X) and awarded zero (0) Marks.
16	Any un assessed portion, non-carrying over of marks to the title page, or totaling error detected by the candidate shall damage the prestige of all the personnel engaged in the evaluation work as also of the Board. Hence, in order to uphold the prestige of all concerned, it is again reiterated that the instructions be followed meticulously and judiciously.
17	The Examiners should acquaint themselves with the guidelines given in the "Guidelines"
* ′	for spot Evaluation" before starting the actual evaluation.
18	Every Examiner shall also ensure that all the answers are evaluated, marks carried over to
	the title page, correctly totaled and written in figures and words.
19	The candidates are entitled to obtain photocopy of the Answer Book on request on payment
	of the prescribed processing fee. All Examiners/Additional Head Examiners/Head
	Examiners are once again reminded that they must ensure that evaluation is carried out
	strictly as per value points for each answer as given in the Marking Scheme.

Marking Scheme

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Senior Secondary School Examination, 2025 APPLIED MATHEMATICS (241) PAPER CODE – 465

General Instructions: -

1	You are aware that evaluation is the most important process in the actual and correct
	assessment of the candidates. A small mistake in evaluation may lead to serious problems
	which may affect the future of the candidates, education system and teaching profession.
	To avoid mistakes, it is requested that before starting evaluation, you must read and
	understand the spot evaluation guidelines carefully.
2	"Evaluation policy is a confidential policy as it is related to the confidentiality of the
	examinations conducted, Evaluation done and several other aspects. Its' leakage to
	public in any manner could lead to derailment of the examination system and affect
	the life and future of millions of candidates. Sharing this policy/document to anyone,
	publishing in any magazine and printing in News Paper/Website etc may invite action
	under various rules of the Board and IPC."
3	Evaluation is to be done as per instructions provided in the Marking Scheme. It should not
	be done according to one's own interpretation or any other consideration. Marking Scheme
	should be strictly adhered to and religiously followed. However, while evaluating,
	answers which are based on latest information or knowledge and/or are innovative,
	they may be assessed for their correctness otherwise and due marks be awarded to
	them.
4	The Marking scheme carries only suggested value points for the answers
-	These are in the nature of Guidelines only and do not constitute the complete answer. The
	students can have their own expression and if the expression is correct, the due marks should
	be awarded accordingly.
5	The Head-Examiner must go through the first five answer books evaluated by each
	evaluator on the first day, to ensure that evaluation has been carried out as per the
	instructions given in the Marking Scheme. If there is any variation, the same should be zero
	after deliberation and discussion. The remaining answer books meant for evaluation shall
	be given only after ensuring that there is no significant variation in the marking of individual
	evaluators.
6	Evaluators will mark ($\sqrt{\ }$) wherever answer is correct. For wrong answer CROSS 'X" be
	marked. Evaluators will not put right (\checkmark) while evaluating which gives an impression that
	answer is correct and no marks are awarded. This is most common mistake which
	evaluators are committing.
7	If a question has parts, please award marks on the right-hand side for each part. Marks
	awarded for different parts of the question should then be totaled up and written in the left-
	hand margin and encircled. This may be followed strictly.
8	If a question does not have any parts, marks must be awarded in the left-hand margin and
	encircled. This may also be followed strictly.
9	In Q1-Q20, if a candidate attempts the question more than once (without canceling
	the previous attempt), marks shall be awarded for the first attempt only and the other
	answer scored out with a note "Extra Question".
10	In Q21-Q38, if a student has attempted an extra question, answer of the question
	deserving more marks should be retained and the other answer scored out with a note
	"Extra Question".
11	No marks to be deducted for the cumulative effect of an error. It should be penalized only
	once.